Terminological Reasoning with Constraint Handling Rules

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Terminological Reasoning with Constraint Handling Rules

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Terminological Reasoning with Constraint Handling Rules

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Abstract

Constraint handling rules (CHR) are a flexible means to implement 'user-defined' constraints on top of existing host languages (like Prolog and Lisp). Recently, M. Schmidt-Schauß and G. Smolka proposed a new methodology for constructing sound and complete inference algorithms for terminological knowledge representation formalisms in the tradition of K-LONE. We propose CHR as a flexible implementation language for the consistency test of assertions, which is the basis for all terminological reasoning services.

The implementation results in a natural combination of three layers: (i) a constraint layer that reasons in well-understood domains such as rationals or finite domains, (ii) a terminological layer providing a tailored, validated vocabulary on which (iii) the application layer can rely. The flexibility of the approach will be illustrated by extending the formalism, its implementation and an application example (solving configuration problems) with attributes, a new quantifier and concrete domains.
1 Introduction

Constraint logic programming (CLP) [JaLa87, Sar89, Coh90, VH91] combines the advantages of logic programming and constraint solving. In logic programming, problems are stated in a declarative way using rules to define relations (predicates). Problems are solved by the built-in logic programming engine (LPE) using backtrack search. In constraint solving, efficient special-purpose algorithms are used to solve problems involving distinguished relations referred to as constraints. Constraint solving is usually 'hard-wired' in a built-in constraint solver (CS). While efficient, this approach makes it hard to extend or specialize a given CS, combine it with other CS's or build a CS over a new domain.

Constraint handling rules (CHRs) [Fru92] are a language extension providing the user (application-programmer) with a declarative and flexible means to introduce user-defined constraints (in addition to built-in constraints of the underlying host language). In this paper the host language is Prolog, a CLP language with equality over Herbrand terms as built-in constraint. CHRs define simplification of and propagation over user-defined constraints. Simplification replaces constraints by simpler constraints while preserving logical equivalence (e.g. \( X > Y, Y > X \iff \text{false} \)). Propagation adds new constraints which are logically redundant but may cause further simplification (e.g. \( X > Y, Y > Z \implies X > Z \)). When repeatedly applied by a CHR engine (CHRE) the constraints may become solved as in a CS (e.g. \( A > B, B > C, C > A \iff \text{false} \)).

CHIP was the first CLP language to introduce some constructs (demons, forward rules, conditionals) [D*88] for user-defined constraint handling (solving, simplification, propagation). These various constructs have been generalized into CHRs. CHRs are based on guarded rules, as can be found in concurrent logic programming languages [Sha89], in the Swedish branch of the Andorra family [HaJa90], Saraswats cc-framework of concurrent constraint programming [Sar89], and - with similar motivation as ours - in the ‘Guarded Rules’ of [Sm091]. However all these languages (except CHIP) lack features essential to define non-trivial constraint handling, namely handling conjunctions of constraints and defining constraint propagation. CHRs provide these two features by multiple heads and propagation rules.

Terminological formalisms based on KL-ONE [BS85] are used to represent the terminological knowledge of a particular problem domain on an abstract logical level. To describe this kind of knowledge, one starts with atomic concepts and roles, and defines new concepts using the operations provided by the language.

\textit{simple-device isa device and some connector is interface.}

These intensionally defined concepts can be considered as unary predicates, and roles as binary predicates over individuals. The limited expressiveness of terminological formalisms allows for a number of interesting reasoning services like
consistency of assertions and classification of concepts.

The key idea of [ScSm91] for constructing such inference algorithms is to reduce all inference services to a consistency test which can be regarded as a tuned tableaux calculus. We propose CHRs as a flexible implementation layer for this consistency test. These CHRs directly reflect the rules of the tableaux calculus.

In [BaHa91, Han92] we have shown how a terminological formalism can be parametrized by a concrete domain, e.g. constraints over rational numbers. This and other extensions carry over to the implementation with CHRs in a straightforward way. Concrete domains can be either also implemented by CHRs or provided as built-in constraints of the host language. In this way we obtain a fairly natural combination of three knowledge representation layers on a common implementational basis.

2 Constraint Logic Programming with Constraint Handling Rules

Syntax. A CLPCHR program is a finite set of clauses from the CLP language and from the language of CHRs. Atoms and terms are defined as usual. There are two classes of distinguished atoms, built-in constraints and user-defined constraints.

A CLP clause is of the form
\[ H : - B_1, \ldots, B_n. \quad (n \geq 0) \]
where the head \( H \) is an atom but not a built-in constraint, the body \( B_1, \ldots, B_n \) is a conjunction of atoms called goals. There are two kinds of CHRs.

A simplification CHRs is of the form
\[ H_1, \ldots, H_i \Leftarrow G_1, \ldots, G_j \mid B_1, \ldots, B_k, \]
An propagation CHRs is of the form
\[ H_1, \ldots, H_i \Rightarrow G_1, \ldots, G_j \mid B_1, \ldots, B_k, \quad (i > 0, j \geq 0, k \geq 0) \]
where the multi-head \( H_1, \ldots, H_i \) is a conjunction of user-defined constraints and the guard \( G_1, \ldots, G_j \) is a conjunction of atoms which neither are, nor depend on, user-defined constraints.

Semantics. Declaratively, CLP languages are interpreted as formulas in first order logic. A CLPCHR program \( P \) is a conjunction of universally quantified clauses.

A CLP clause is an implication
\[ H \rightarrow B_1 \land \ldots \land B_n. \]
A simplification CHRs is a logical equivalence provided the guard is true
\[ (G_1 \land \ldots \land G_j) \leftrightarrow (H_1 \land \ldots \land H_i \leftrightarrow B_1 \land \ldots \land B_k). \]
A propagation CHR is an implication provided the guard is true
\[ (G_1 \land \ldots \land G_j) \rightarrow (H_1 \land \ldots \land H_i \rightarrow B_1 \land \ldots \land B_k). \]

The operational semantics of CLP CHR can be described by a transition system. In the following we do not distinguish between sets and conjunctions of atoms. A constraint store represents a set of constraints. Let UC and BC be two constraint stores for user-defined and built-in constraints respectively. Let GL be a set of goals. A computation state is a tuple \(<GL, UC, BC>\). The initial state consists of a query GL and empty constraint stores, \(<GL, \{\}, \{\}>\). A final state is either successful (no goals left to solve), \(<\{\}, UC, BC>\), or failed (due to an inconsistent constraint store), \(<GL, false, BC>\) or \(<GL, UC, false>\). The union of the constraint stores in a final state is called conditional answer for the query GL, written \(answer(GL)\). The following computation steps are possible to get from one computation state to the next

Solve - Built-In CS
\[
<\{C\} \cup GL, UC, BC> \rightarrow <GL, UC, BC'>
\]
if \((C \land BC) \rightarrow BC'\)

Simplify - CHRE with simplification CHRs
\[
<H' \cup GL, H'' \cup UC, BC> \rightarrow <GL \cup B, UC, BC>
\]
if \((H' \leq=> G | B) \in P, (BC \rightarrow H = (H' \cup H'') \land answer(G))\)

Propagate - CHRE with propagation CHRs
\[
<H' \cup GL, H'' \cup UC, BC> \rightarrow <GL \cup B, H' \cup H'' \cup UC, BC>
\]
if \((H' \leq=> G | B) \in P, (BC \rightarrow H = (H' \cup H'') \land answer(G))\)

Nondeterministic Unfold - LPE with CLP clause
\[
<\{H'\} \cup GL, UC, BC> \rightarrow <GL \cup B, UC, \{H = H'\} \cup BC>
\]
if \((H: - B) \in P\)
\[
<GL, \{H'\} \cup UC, BC> \rightarrow <GL \cup B, UC, \{H = H'\} \cup BC>
\]
if \((H: - B) \in P\)

Implementation. An interpreter for CHRs has been implemented on top of ECRC's Eclipse Prolog utilizing its delay-mechanism and built-in meta-predicates to create, inspect and manipulate delayed goals. In such a sequential implementation, the transitions are tried in the above textual order. We wrote real-life constraint handlers for booleans, finite domains (a la CHIP), temporal reasoning (quantitative and qualitative constraints over points and intervals) and real closed fields (a la CLP(R)). Typically it took only a few days to produce a prototype, since one can directly express how constraints simplify and propagate without worrying about implementation details. If inefficient, once the handler has been tested and 'tuned' as required, it can be safely reworked in a low-level language.
3 Terminological Reasoning with Concrete Domains

In this section we will recall the concept language $\mathcal{ALC}$ and show its implementation in CHRs. We conclude with some extensions of this terminological logic (TL) showing the flexibility of the CHRs approach.

**Terminology.** A terminology (T-box) consists of a finite set of concept definitions "$C$ isa $s$" where $C$ is the newly introduced concept name and $s$ is a concept term constructed from concept names and roles. Inductively a concept term is defined as follows:

1. Every concept name $C$ is a concept term.

2. If $s$ and $t$ are concept terms and $R$ is a role name then the following expressions are concept terms, too:

   - $s$ and $t$ (conjunction), $s$ or $t$ (disjunction), nota $s$ (complement),
   - every $R$ is $s$ (value restriction), some $R$ is $s$ (exists-in restriction)

An interpretation $I$ with a set $\mathcal{D}_I$ as domain interprets a concept name $C$ as a set $C^I \subseteq \mathcal{D}_I$ and a role name $R$ as a set $R^I \subseteq \mathcal{D}_I \times \mathcal{D}_I$. It can be lifted to concept terms in a straightforward manner: conjunction, disjunction, and complement are interpreted as set intersection, set union, and set complement w.r.t. $\mathcal{D}_I$, respectively, and $a \in (\text{every } R \text{ is } s)^I$ iff, for all $b \in \mathcal{D}_I$, $(a, b) \in R$ implies $b \in s^I$, and $a \in (\text{some } R \text{ is } s)^I$ iff, there is some $b \in \mathcal{D}_I$ such that $(a, b) \in R^I$, $b \in s^I$. An interpretation is a model of a terminology $T$ if $C^I = s^I$ for all "$C$ isa $s$" in $T$.

**Example:** The domain of a configuration application comprises at least devices, interfaces, and configurations. The following concept definitions express that these are disjoint sets.\(^1\)

```
primitive(device).
interface isa nota device.
configuration isa nota (interface or device).
```

Let's assume that a simple device has at least one interface.

```
role(connector).
simple-device isa device and some connector is interface. □
```

\(^{1}\)It is convenient to introduce a short cut for this kind of definitions: open-family(entities, [device, interface, configuration]).
Assertional formalism. Objects are (Herbrand) constants or variables. Let $a, b$ be objects, $R$ a role, and $C$ a concept term. Then $b : C$ is a membership assertion and $(a, b) : R$ is a role-filler assertion. An $A$-box is a collection of membership and role-filler assertions.

Example (contd): So we can introduce instances of devices and interfaces.

$$dev2: device, inter1: interface, (dev1, inter1): connector.$$ 

Reasoning services. An $A$-box $A$ is consistent (w.r.t. the terminology) if there is a model $\mathcal{I}$ and a variable assignment $\sigma : objects \to \mathcal{D}_\mathcal{I}$ such that all assertions of $A$ are satisfied, i.e., $(a\sigma^\mathcal{I}, b\sigma^\mathcal{I}) \in R^\mathcal{I}$ and $b\sigma^\mathcal{I} \in C^\mathcal{I}$, for all $(a, b) : R$ and $b : C$ in $A$. An object $a$ is a member of a concept $C$ iff in all models $\mathcal{I}$ of the terminology that satisfy the $A$-box by an assignment $\sigma$ we have $a\sigma^\mathcal{I} \in C^\mathcal{I}$. A concept $B$ subsumes a concept $C$ if for all models $\mathcal{I}$ of the terminology $B^\mathcal{I} \supseteq C^\mathcal{I}$.

Note that subsumption (and similarly membership) queries can be reduced to the inconsistency problem of $A$-boxes: a concept $A$ subsumes a concept $B$ iff it is inconsistent to assume an object $a$ that is a member of "$B$ and nota $A$".

CLP$_{CHR*}(TL)$. Roughly, the consistency test of $A$-boxes works as follows.

1. Use transformation rules to propagate the assertions in the $A$-box to make the knowledge more explicit.

2. Look for obvious contradictions (clashes) such as "$a:B, a:\text{nota} B$".

The transformation rules of the first step as well as the search for the obvious contradictions can be directly mapped to CHRs by regarding assertions as user-defined constraints (see Appendix). Nondeterministic transformations (due to disjunctions in the concept language and resulting from negation) are mapped into CLP clauses.

Extensions. In a number of papers the above technique has been applied successfully to variants of terminological logics (e.g., [HNS90, Hol90]). This flexibility carries over to extensions of our implementation.

Roles are interpreted as an arbitrary binary relation over $\mathcal{D}_\mathcal{I}$. Attributes (also called features) are functional roles, i.e., their interpretation is the graph of a partial function. Assuming declarations of attributes of the form $\text{attribute}(F)$, $F$ a concept name, we just have to extend our implementation by

$$(I, J1): F, (I, J2): F \iff \text{attribute}(F) \mid J1=J2, (I, J1): F.$$ 

Example (contd): Now we are ready to define a simple configuration which consists of two distinguished devices.
attribute(component-1).
attribute(component-2).
simple-config isa
    configuration and
    some component-1 is simple-device and
    some component-2 is simple-device.

Extending the above A-box by

    config1:simple-config,
    (config1,dev1):component-1, (config1,dev2):component-2

the membership service can derive that dev1 and dev2 have connectors that are
interfaces and are thus simple devices.

A more local way to specify functionality of roles is provided through concept
terms of the form \("exactly one \( R \)\), \( R \) a role name. An \( a \in D_r \) is an element of
\((\text{exactly one } R)^I\) if there is exactly one \( R\)-role filler for \( a \). This is implemented
through

\[
I: \text{exactly one } R, (I, J1):R, (I, J2):R \iff \text{role}(R) | \\
J1=J2, (I, J1):R.
\]

We have also to add a way of propagating the complement operator:

\[
X:\text{nota exactly one } R :- X:\text{every } R \text{ is } (S \text{ and nota } S).
X:\text{nota exactly one } R :- (X,Y):R, (X,Z):R, Y\neq Z.
\]

The former says \("there is no filler\), the latter says \("there are at least two fillers\).

\textit{Example (contd)}:

\[
\text{very-simple-device isa simple-device and exactly-one connector.}
\]

\textbf{Concrete domains}. In [Han92] restricted forms of quantification over predicates of a \textit{concrete domain} \( D \) have been suggested as concept forming operators. Examples of concrete domains are Allen's temporal interval relations, rational
(natural) numbers with comparison operators and real-closed fields (all of which
have been implemented by CHRs). An \textit{admissible} concrete domain has to be
closed under complement (since we have to propagate the complement operator)
and has to provide a satisfiability test for conjunctions of predicates. The syntax
for the extension TL(D) of the concept language is as follows:

\[
every \ w_0 \ \text{and \ ... \ and} \ w_n \ \text{is} \ p \\
some \ w_0 \ \text{and} \ \text{... \ and} \ w_n \ \text{is} \ p
\]
Where \( w_i \) is of the form "\( R_0 \) of \( \ldots \) of \( R_n \) " , \( R_j \) are role/attribute names, \( n > 0 \), \( k_i \geq 0 \), \( i = 1, \ldots , n \), and \( p \) is an \( n \)-ary concrete predicate (constraint) of \( D \). For readability, we may use also infix notation for the predicates. These constructs are inspired by the value restriction and the exists-in restriction. Reading the expressions as natural language sentences should provide a good intuition about there semantics. See [Han92] for details.

Example (contd): Now we can associate price and voltage with a device and require that in an electrical configuration the voltages have to be compatible.

\[
\begin{align*}
\text{attribute(price).} \\
\text{attribute(voltage).} \\
\text{electrical-device isa very-simple-device and} \\
\text{some voltage} > 0 \text{ and some price} > 1 . \\
\text{low-cost-device isa electrical-device and every price} < 200. \\
\text{high-voltage-device isa electrical device and} \\
\text{every voltage} > 15. \\
\text{electrical-configuration isa simple-configuration and} \\
\text{every component-1 is electrical-device and} \\
\text{every component-2 is electrical-device and} \\
\text{every voltage of component-1 = voltage of component-2.}
\end{align*}
\]

\( \text{CLP}_{\text{CHR}}(\text{TL}(D)) \). The A-box of this extended concept formalism may also contain assertions of the form \( p(a_1, \ldots , a_n) \). If we apply the CLP scheme of Höhfeld und Smolka [HS90] in a straightforward manner to these 'A-boxes', we obtain a CLP language with the three mentioned representation and reasoning layers.

Example (contd): The following CLP clauses specify the catalog of devices and describe possible configurations that are based on this catalog.

\[
\begin{align*}
\text{catalog(dev1)} & :- \text{dev1:electrical-device,} \\
& \ (\text{dev1,10}):\text{voltage,} \ (\text{dev1,100}):\text{price.} \\
\text{catalog(dev2)} & :- \text{dev2:electrical-device,} \\
& \ (\text{dev2,20}):\text{voltage,} \ (\text{dev2,1000}):\text{price.} \\
\text{possible-config(C)} & :- \\
& \ C:\text{electrical-configuration,} \\
& \ \text{catalog(D1),} \ (C,D1):\text{component-1,} \\
& \ \text{catalog(D2),} \ (C,D2):\text{component-2.}
\end{align*}
\]

The following queries enumerate possible configurations satisfying the requirements.
The first query lists the configurations ‘(dev1,dev1)’ and ‘(dev2,dev2)’ whereas the second has no solution.

4 Conclusions

Constraint handling rules (CHR) are a language extension for implementing user-defined constraints. Rapid prototyping of novel applications for constraint techniques is encouraged by the high level of abstraction and declarative nature of CHRs.

In this paper we investigated the terminological reasoning formalism. Flexibility was illustrated by extending the formalism and its implementation with attributes, a special quantifier and concrete domains. Applicability was illustrated by sketching a generic terminology for solving configuration problems.

References


Appendix - Basic Implementation

% Terminological Reasoning System with Constraint Handling Rules
% Hanschke and Fruehwirth 1992

% primitive clash
I:nota S,I:S <=> false.

% negation
I:nota (S or T) ⇔ I:(nota S and nota T).
I:nota (S and T) ⇔ I:(nota S or nota T).
I:nota nota S ⇔ I:S.
I:nota every R is S ⇔ I:some R is nota S.
I:nota some R is S ⇔ I:every R is nota S.

% conjunction
I:S and T ⇔ I:S,I:T.

% quantifiers and attributes
I:some R is S ⇔ role R | (I,J):R,J:S.
I:every R is S, (I,J):R ⇒ role R | J:S.

% concept unfolding
I:C ⇔ (C isa S) | I:S.
I:nota C ⇔ (C isa S) | I:nota S.

% CLP clauses expressing choices
% disjunction
I:S or T :- I:S.
I:S or T :- I:T.

% negation of exactly_one
I:nota exactly_one R :- I:every R is (S and nota S). % no R
I:nota exactly_one R :- J≠K, (I,J):R,(I,K):R. % two or more R

For space and presentation reasons we omit concrete domains in this abstract, our actual implementation will be presented in the full paper.
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